

~~SECRET~~ [Redacted] 477D

(Fig 20, 21)

$$P_D = 1.6 \times 10^{-10} \text{ W/cm}^2$$

$$P_T = .631 \times 10^6 \text{ W}$$

$$G_T = 40 \text{ dB} = 10,000$$

$$P_{TGT} = .631 \times 10^{10}$$

$$D = \sqrt{\frac{P_T G_T}{4\pi P_D}}$$

$$= \sqrt{\frac{.631 \times 10^{10}}{4\pi \cdot 2.512 \times 10^{-9}}}$$

$$= \sqrt{20 \times 10^6} = 4.48 \times 10^5 \text{ cm}$$

$$= 4.48 \times 10^6 \text{ meters}$$

$$= 4.48 \times 10^3 \text{ kilometers}$$

(A)

$$.5396 \times 4.48 = \underline{2420 \text{ mi slant range}}$$

3 db Crystal Loss :
Zero Bias

(B)

$$D = \frac{1}{\sqrt{2}} \cdot 2420 = 1710 \text{ n.miles slant range}$$

this doesn't include variations with Freq, Sphere Position, Polarization

	<u>Alt</u>	<u>Max. Slant R.</u>	<u>Max. Ground Range (Line of Sight)</u>
(A)	700 mi.	2420	2100
(B)	400 mi.	1710	1570 mi.

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case, going up in alt. is less than indicated.

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slant Range = 2420

$$3.44 + H = \sqrt{3.44^2 + 2.42^2}$$

$$= \sqrt{11.83 + 5.85}$$

$$= \sqrt{17.68}$$

$$= 4.2$$

$$\cos \alpha = \frac{b^2 + c^2 - a^2}{2bc}$$

$$\frac{H^2 + 6.88H + 17.78}{6.88(3.44 + H)}$$

$$H = 4.2 - 3.44$$

$$= \underline{\underline{760 \text{ mi.}}}$$

At 1000 mi. $H = 1$ $H^2 = 1$

$$\frac{1 + 6.88 + 17.78}{6.88(4.44)} = \frac{25.66}{30.5} = .842 = 32.65^\circ$$

$$60 \times 32.65 = \underline{\underline{1960}}$$

At 1200 mi. $H = 1.2$ $H^2 = 1.44$

$$= \frac{1.44 + (6.88 \times 1.2) + 17.78}{6.88(4.56)} = \frac{27.47}{31.9} = .862 = 30.4^\circ$$

$$R = \underline{\underline{1830}}$$

1500 mi. $H = 1.5$ $H^2 = 2.25$

$$\frac{2.25 + (6.88 \times 1.5) + 17.78}{6.88(4.94)} = \frac{30.33}{34.0} = .891 = 27^\circ$$

$$R = 1620$$

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Max Slant



range

3 db greater than 2420

$$\sqrt{2} \times 2420 = \frac{3420 \text{ slant}}{2700 \text{ mi. ground range}}$$

+ 1 db

$$\sqrt{1.259} \times 2420$$

$$= 1.12 \times 2420 = 2710 \text{ n. mi. slant range}$$

2280 ground range

2 db

$$1.26 \times 2420 = 3100 \text{ n. mi.}$$

2520 ground range

6 db

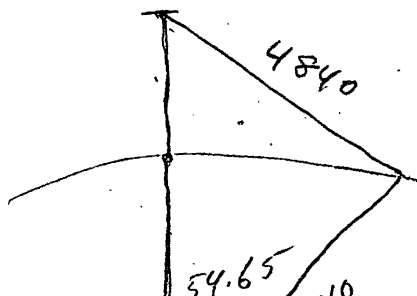
$$\sqrt{6} \text{ db} = 2 \times 2420 = 4840 \text{ n. mi. slant}$$

$$= 3280 \text{ ground range}$$

$$\tan \theta = 1.41$$

$$54.65^\circ$$

$$60 \times 54.65$$



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$$\cos 54.65 = .5788$$

$$H + 3440 = \frac{3440}{.5788} = 5950 - 3440 = 2510 \text{ mi. alt.}$$

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Alt Range

Ground Range

Altitude

10X10⁻¹⁰

2420

2100

760

+1 db

2710

2280

930

+2 db

3100

2520

1150

+3 db

3420

2700

1425

+6 db

4840

3280

2510

-3 db

1710

1570

400

-6 db

1210

1160

200



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